

Concluding remarks & suggestions

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3rd Workshop on Level Density and Gamma Strength

Characteristics of meeting

- Focused
- Wide-open, stimulating and lively discussions.
- Civil discussion between those who disagree.
- Even the opposition invited.
- Very interesting workshop.
- On important physics.
- Delightful social organization.
- Thanks to organizers

Local organizing committee:

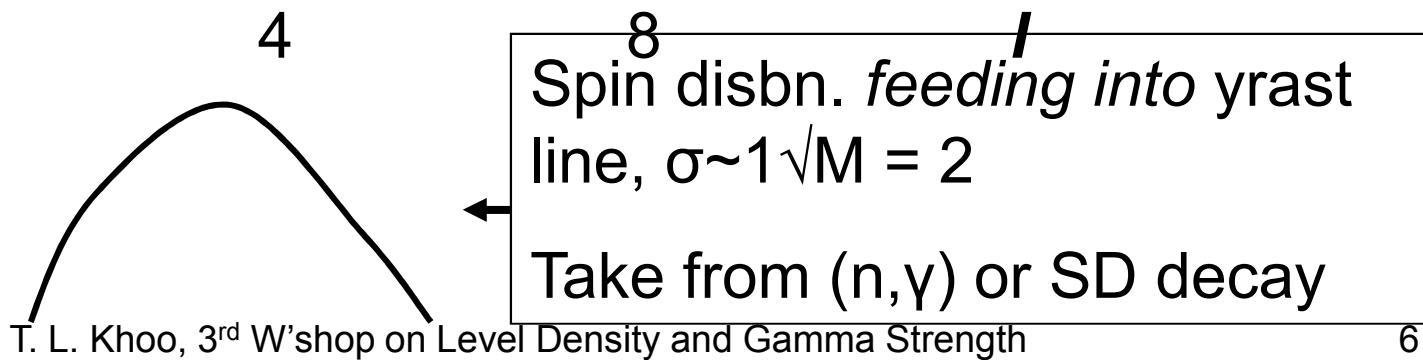
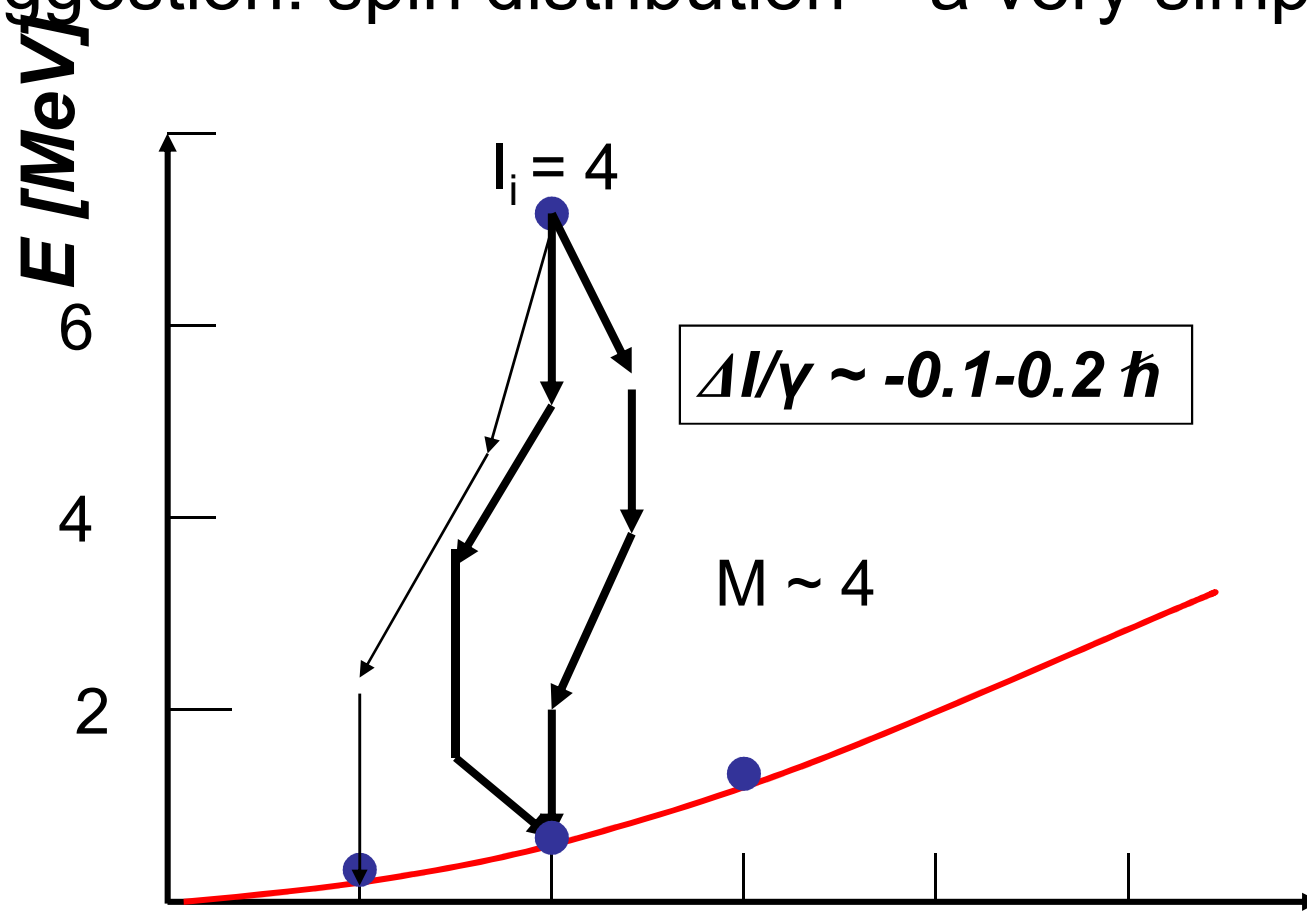
- [Sunniva Siem](#) (chairman)
- Alexander Bürger
- Tomas K. Eriksen
- Andreas Görgen
- Magne Guttormsen
- Trine W. Hagen
- Ann-Cecilie Larsen
- Hilde Therese Nyhus
- John Rekstad
- Therese Renstrøm
- Sunniva J. Rose
- Heidi K. Toft

- ρ & S_γ are fundamental nuclear properties.
- Why are they not better defined after so many years of nuclear physics?
- What would it take to properly define them?
- Role of theory. Impressive progress on ρ , less so on S_γ .
- Keeps you all gainfully employed.

Exclusive measurements

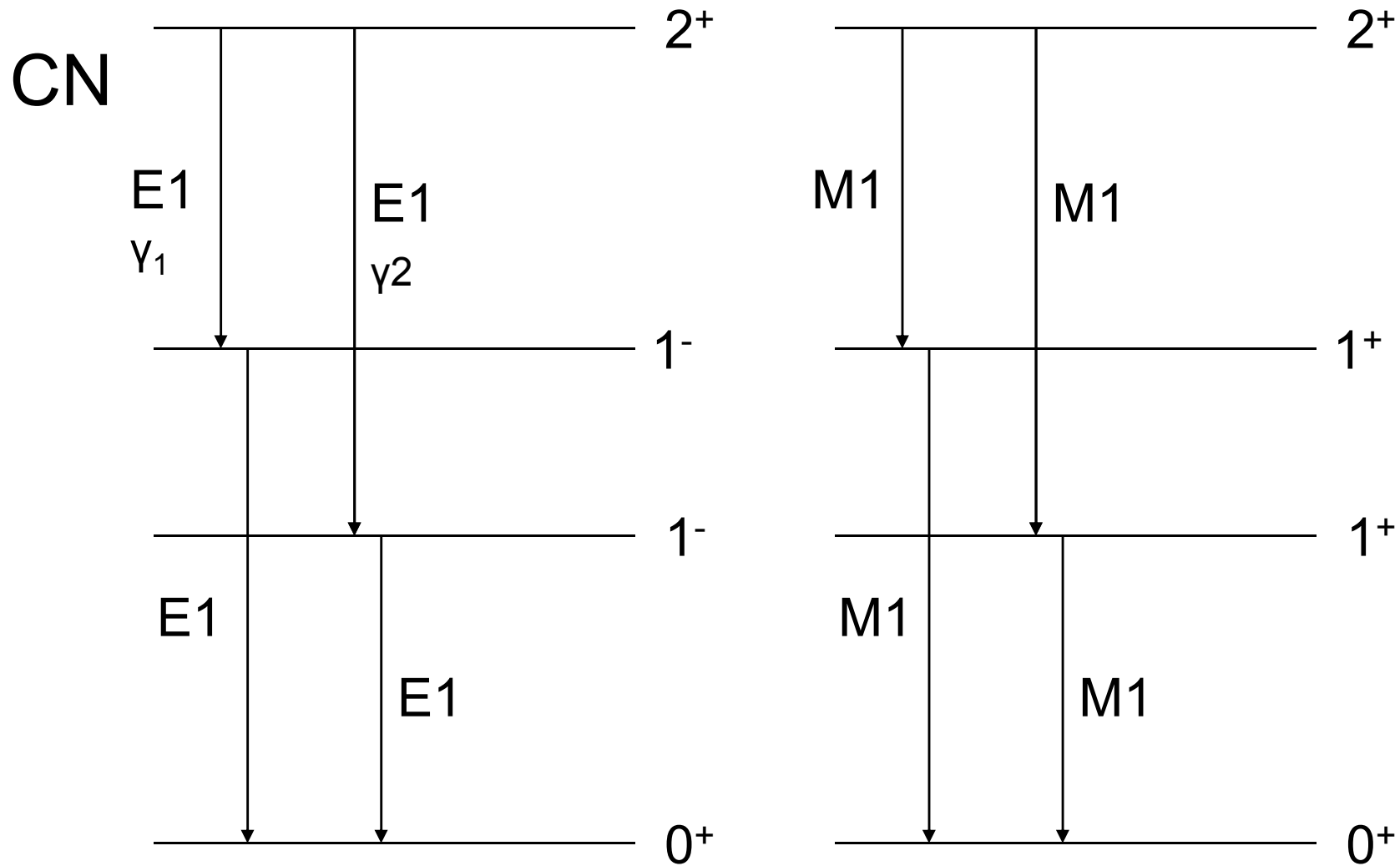
- Exclusive measurements are necessary to ensure that particles/gammas are indeed from the putative source, with no contributions from, e.g., hydrocarbons which inevitably build up on target.
- Requirement/check on E_{Σ} or E_{\max} effective. Sufficient? Nevertheless it's a minimum requirement when it is possible to impose.

Suggestion: spin distribution – a very simple method



Enhanced S_γ at low E_γ – all E1? Is there an M1 contribution?

- *Suggestion*
- Variation of Wiedeking ratio method with π_{initial} specified, e.g. in (n,γ) with s-wave capture $\pi_i = +$.
- 2-step γ cascade to ground state.
- $\pi_{\text{intermediate}} = - \quad E1/E1$; $\pi_{\text{intermediate}} = + \quad M1/M1$.
- $R = I(E_{\gamma_1})/I(E_{\gamma_2}) = S(E_{\gamma_1})/ S(E_{\gamma_2})$.
- N.B. R gives direct information on $S(E_\gamma)$; P does not enter.



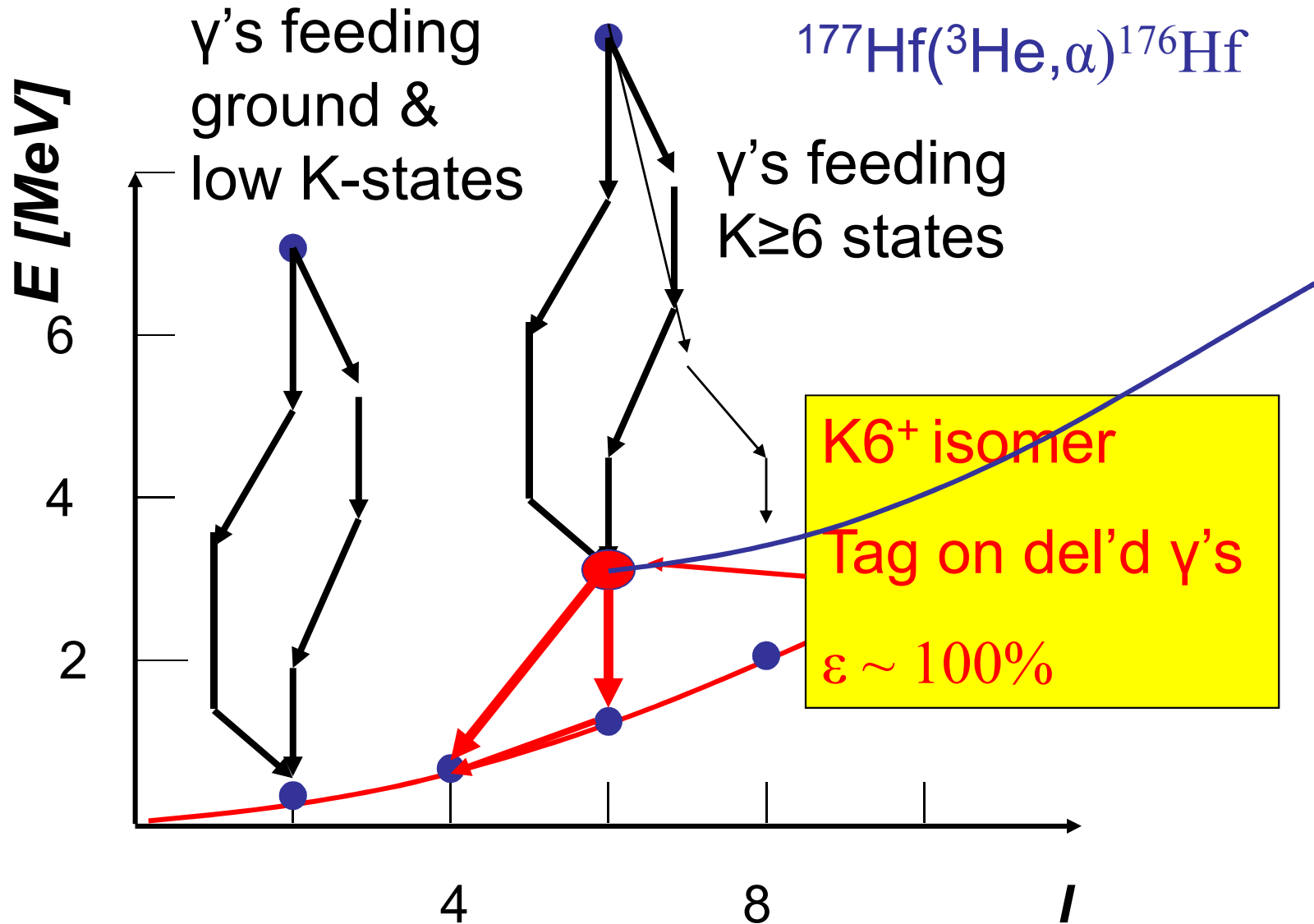
$$R = I(E_{\gamma_1})/I(E_{\gamma_2}) = S(E_{\gamma_1})/S(E_{\gamma_2}).$$

Extension: gate final state & $E_{\Sigma} \rightarrow$ total 2-step feeding γ 's.

ρ , S_γ & γ spectra feeding ground & high-K states

- Are the above different?
- ρ probably smaller due to limited configurations that can contribute.
- Any theoretical grounds for expecting S_γ to be different? Not if Brink hypothesis holds.
- Test of Brink hypothesis.
- Tail of GDR built on high-K states.
- If γ spectra different \rightarrow K conservation above yrast line.
- How does the K quantum number damp with U?
- Order to chaos transition.

Example



Suggestion: 3 ways for measuring ρ , S_γ in one expt.

Cross check & test of methods.

Measure protons &

γ with Gammasphere \rightarrow high resolution,
straightforward unfolding, calorimetry.

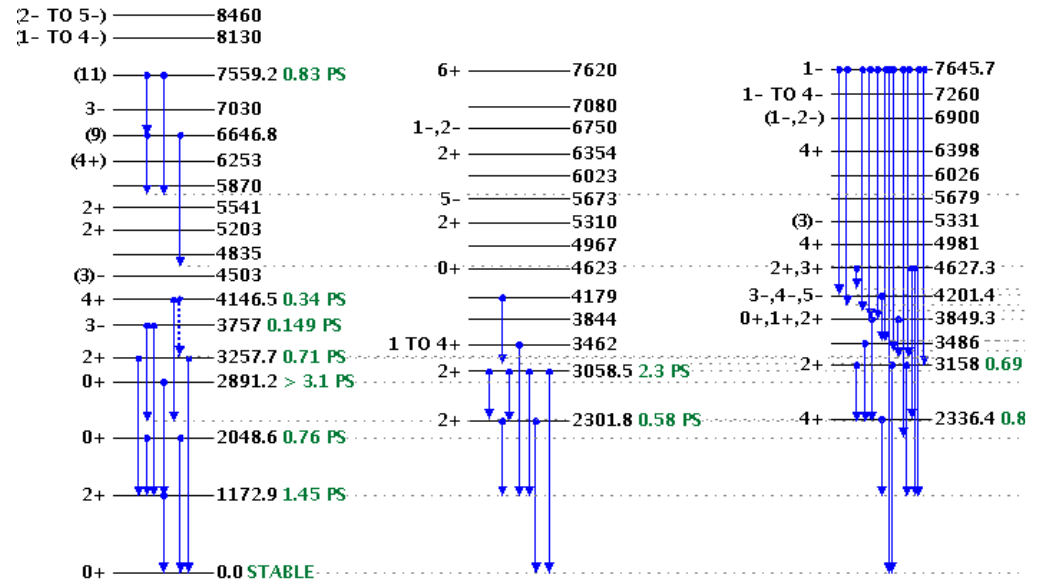
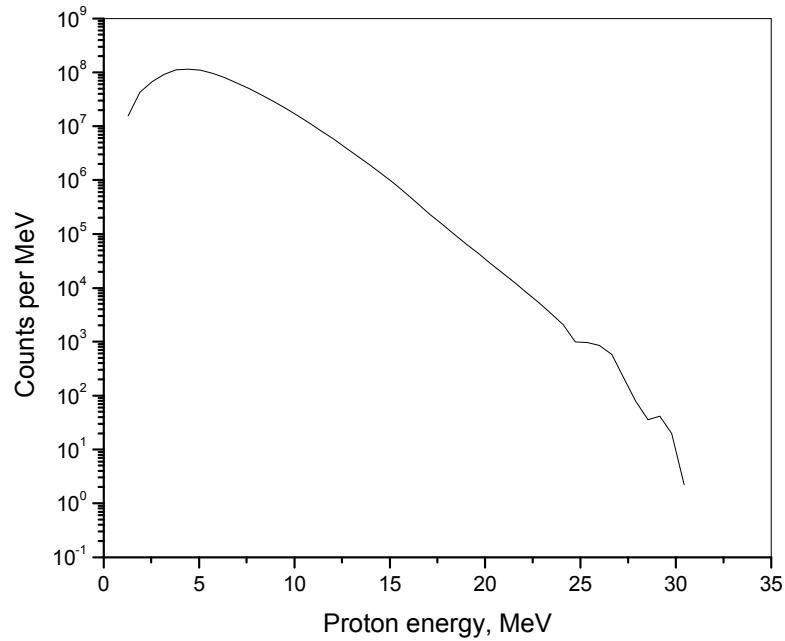
(a) protons from reaction, e.g. $^{12}\text{C}(^{45}\text{Sc},p)^{56}\text{Fe}$ or
 $^{12}\text{C}(^{51}\text{V},p)^{62}\text{Ni}$ (Voinov) $\rightarrow \rho$.

(b) γ 's with the Oslo method after specifying E^* with
 $E_p \rightarrow \rho$ & $S(E_\gamma)$. Possible reactions

- $^{12}\text{C}(^{51}\text{V},p)^{62}\text{Ni}$ $Q = 7.26$ MeV
- $^{12}\text{C}(^{45}\text{Sc},p)^{56}\text{Fe}$ $Q = 12.25$ MeV

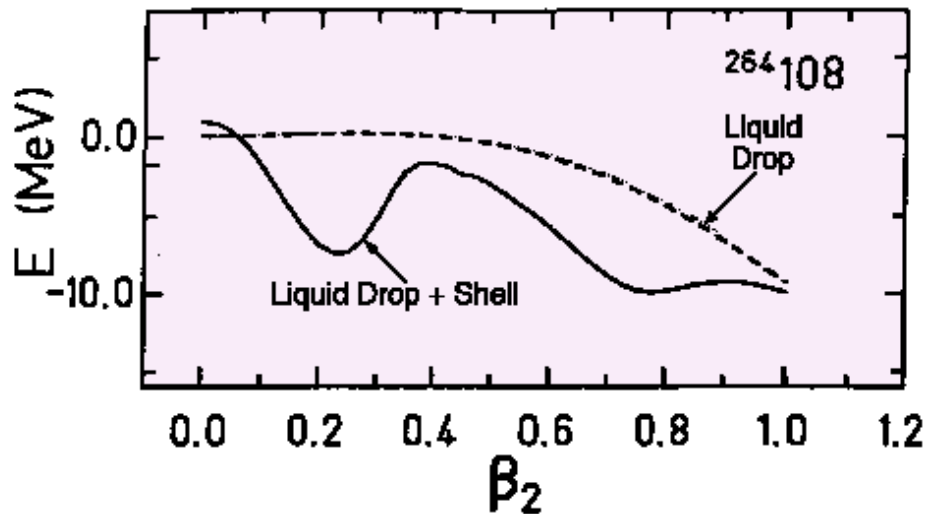
(c) Spin distribution.

(d) 2- step γ 's for $R = I(E_{\gamma 1})/I(E_{\gamma 2}) = S(E_{\gamma 1})/S(E_{\gamma 2})$.



Proton evaporation spectrum from $^{45}\text{Sc}(^{12}\text{C},p)^{56}\text{Fe}$ reaction at $E(^{12}\text{C})=25$ MeV calculated with Hauser-Feshbach model. Courtesy A. Voinov.

$S_p = 10.2$ MeV, $S_n = 11.2$ MeV.



$$E = E(\text{LD}) + E(\text{shell}) + E(\text{pair})$$

$$T_{\text{sf}}(\text{exp})/T_{\text{sf}}(\text{LD}) > 10^{13}$$

Superheavy nuclei are
at the limits of Coulomb stability;
 would fission instantaneously, but
shell-correction energy lowers the ground
 state, thereby creating a *barrier against*
fission.

How does the shell-energy of superheavy nuclei damp with U?

- ρ in trans-actinides, e.g. with ^{244}Pu , ^{246}Cm , ^{249}Cf targets.
- Damping of shell-correction at high $E^* \rightarrow$ change of ρ .
- Test Ignatyuk damping parameter γ .

$$a = a_0 \{1 + \delta E^* [1 - \exp(-\gamma E)] / E\}$$

- Is γ the same for all nuclei?

Common assumption is yes, but probably incorrect.
Recent calculations based on density functional theory says “no”.

- Needs data to test.

(n, γ) in n-rich nuclei, e.g. $^{132,133}\text{Sn}$,
via surrogate reactions with RIBs

- S_n low, $< \sim 4$ MeV, few bound states.
- Is decay statistical? Yes for initial state above S_n , but to finite number states.
- P ?
- S_γ ?
- No data
- Important for r-process.

Speculation on why hot nuclei become spherical after pair damping

- Heretic view: pairing helps drive nucleus towards deformation.
- Pair gap clearly evident in deformed nuclei, indicating pair condensate.
- In spherical nuclei, no pair gap; shell energy from single-particle gaps more important.
- Check E_{pair} correlation.
- Hence, loss of pairing \rightarrow loss of deformation.

Quasicontinuous strength in Pygmy Dipole Resonance

- Large; what fraction of sum rule?
- Not described by theory?





- Summary of trends in Workshop
- A few topics, then pose a set of **questions** of different topics & invite responses.
- ρ & S_γ are fundamental nuclear properties. Why are they not better defined after so many years of nuclear physics? What would it take to properly define them?
- B_f ^{254}No
- Examples of some experiments from CARIBU.
- N capture surrogate reaction in n-rich nuclei via surrogate reactions, e.g. (d,p)
- $S_n \sim 4$ MeV; different S_γ , ρ ? Resonances, direct reactions more prevalent?
- 2-photon sum: S_γ , ρ spectroscopy
- EXILL Exogam@ILL opportunities